



1st SEM. 2008/2009

page 1 of 3

UNIVERSITY OF SWAZILAND

Supplementary EXAMINATION PAPER

**PROGRAMME: BSc. in Agricultural Economics and
Agribusiness Management Year I**

BSc. in Agricultural Education Year I

BSc. in Agronomy Year I

BSc. in Animal Science Year I

BSc. in Food Science, Nutrition and Technology Year I

BSc. in Home Economics Year I

BSc. in Home Economics Education Year I

BSc. in Horticulture Year I

BSc. in Land and Water Management Year I

BSc. in Textiles Apparel Design and Management Year I

COURSE CODE: AEM 101

TITLE OF PAPER: MATHEMATICS

TIME ALLOWED: 2:00 HOURS

INSTRUCTION: 1. ANSWER ALL QUESTIONS

2. ALL QUESTIONS CARRIES 25 MARKS.

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THE CHIEF INVIGILATOR**

Question 1

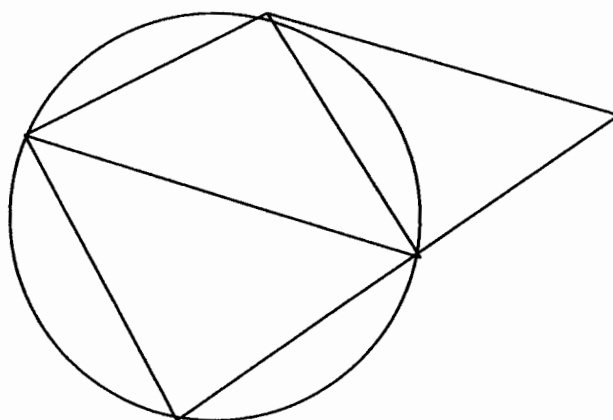
- a) A line is to be divided into 3 parts in the ratio 3:4:5. If the line is 960cm long find the length of each part?
- b) Factorize $x^2 + 6x + 9$
- c) Suppose a certain species of bees increase in number according to the exponential equation $q = 25 e^{0.4t}$, where t is measured in days. In how many days, correct to the nearest tenth, will there be 500 bees?
- d). Find the solution set of system of simultaneous equation.
- $$\begin{cases} 2x - 3y = 8 \\ x - y = 1 \end{cases}$$
- e) Find the solution set of $2x^2 + 4x - 9 = 1$.

Question 2

- a) Find the solution of exponential equation
 $3^x = 27$
- b) Find the solution set of logarithmic equation.
 $\log_2^{(x+5)} + 4 \log_2^2 = 3$
- c) AC is a diameter of a circle center o and CD is a chord,
M is the mid-point of CD. The tangent at A meets MO produced at T. Prove that
i) $\triangle CMO$ is similar to $\triangle TAO$
ii) $TA \cdot MO = AO \cdot MC$

Question 3

- a) If $\sin A = \frac{5}{13}$ then find $\cos A$?
- b) Two straight line PQ and RS cut at X. If $PX = RX$ and $\angle SPX = \angle QRX$, Prove that $\triangle SPX \cong \triangle QRX$
- c) Given that $y = -2x^2 + 3x + 6$, calculate
- the gradient of the tangent to the curve of y at the point Where $x = -1$.
 - The value of x for which y has its maximum value.
 - The value of x for which y has its minimum value.
- d) In the following fig. AC is parallel to the tangent DE. Prove that
- $\triangle ADC$ is isosceles;
 - $\angle ABC = 2 \angle DAC$

**Question 4**

- a. Evaluate the following definite integral;

$$\int_2^5 (x+5)x^3 dx$$

- b. Find the inverse of the matrix $\begin{pmatrix} 2 & 7 \\ 4 & 6 \end{pmatrix}$

- c. Sketch the graph of the given quadratic equation using the intercepts and the Coordinates of the vertex

$$y = x^2 - 2x - 1$$

END OF PAPER