

1st SEM. 2018/2019



Page 1 of 3

UNIVERSITY OF ESWATINI

FINAL EXAMINATION PAPER

PROGRAMME: BSc. in Agricultural Economics and Agribusiness
Management Year 4

COURSE CODE: AEM407/AEM 405

TITLE OF PAPER: PRODUCTION ECONOMICS

TIME ALLOWED: TWO (2): HOURS

INSTRUCTION: 1. ANSWER ALL FOUR QUESTIONS
2. EACH QUESTION CARRIES 25 POINTS

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CHIEF INVIGILATOR

Question 1 (25 MARKS)

- a) Discuss the five (5) production economics assumptions. **15 MARKS**
- b) Where should a rational firm produce? In your answer discuss why the rational firm should produce or not produce in stages I, II and III. **10 MARKS**

Question 2 (25 MARKS)

- a) Consider the production function, $Y = 4X$. What is the:
 - i. Inverse production function **2 MARKS**
 - ii. APP **2 MARKS**
 - iii. MPP **2 MARKS**
 - iv. TVC **2 MARKS**
 - v. AVC **2 MARKS**
 - vi. MC **2 MARKS**
- b) Consider the production function $Y = 70 + 2X - 0.02X^2$.
 - i. Find the level of X at which Y is a maximum. **4 MARKS**
 - ii. Calculate the elasticity of production, APP and MPP when $X = 30$ **4 MARKS**
 - iii. Find the level of X maximizing net returns (i.e. profits) when $P_x = E1$ and $P_y = E10$. **5 MARKS**

Question 3 (25 MARKS)

Given the product-product relationship equation: $Y_1 = 100 - 0.0065Y_2^2$ and the prices $P_{Y1} = 5$ and $P_{Y2} = 6$:

- i. What is the maximum amount of Y_1 and Y_2 that can be obtained? **5 MARKS**
- ii. What is the exact MRPS? **5 MARKS**
- iii. What is the slope of the isorevenue line? **5 MARKS**
- iv. Find the optimum combination of Y_1 and Y_2 that maximise revenue. **10 MARKS**

Question 4 (25 MARKS)

- a) Consider two production functions for maize (M) and Beans (B) each employing labour (L) as the variable Input:

$$M = 10 + 2L_M - 0.1L_M^2$$

$$B = 5 + 4L_B - 0.2L_B^2$$

If the price of Maize is E2.00 per Kg and price of beans is E 1.00 per Kg. How would you allocate 10 labourers among the maize and beans enterprises?

12 MARKS

- b) Consider the production $Y = X_1^{3/4}X_2^{1/4}$. Find the least cost combination of X_1 and X_2 to produce 12 units of Y when (i) $P_{X_1} = 3$; $P_{X_2} = 1$; and when (ii) $P_{X_1} = 48$; $P_{X_2} = 1$.

13 MARKS