# University of Swaziland Final Examination JULY 2013 

Title of paper : Programming Languages<br>Course number : CS343<br>Time Allowed : Three(3) hours<br>Instructions<br>- Each question carries 20 marks<br>- Answer any five (5) questions from questions 1 to 6.

This paper may not be opened until permission has been granted by the invigilator

## QUESTION 1

(a)
(i) Briefly explain the purpose of parse trees.
(ii) BNF is said to be a meta language. What is a matter language.
(iii) Given the following BNF grammar:
(iv) $<\exp >:$ : $=$ term> $+<\exp >\mid<$ term> $-<\exp >\mid<$ term $>$
<term> :: < factor> * <term> |<factor> / <term> I| <factor>
$<$ factor> : $:=(<\exp >)|\mathrm{a}| \mathrm{b}|\mathrm{c}| \mathrm{d}|1| 2|3| 4$
Construct the parse tree for the expression $\mathbf{a}-\mathbf{b}^{*}(\mathbf{c}+\mathbf{d})$.
[6]
(b) Consider a program with 3 procedures, $\mathrm{f}, \mathrm{g}$ and $h$, which carry out the following steps:

| $\mathbf{f}$ | g | $\mathbf{h}$ |
| :--- | :--- | :--- |
| 1. Assign 1 to x | 1. Assign 3 to x | 1. Assign 6 to y |
| 2. Assign 2 to y | 2. Assign 4 to y | 2. Display x |
| 3. Call g | 3. Call h |  |
| 4. Display x | 4. Display y |  |

(i) Assuming that x and y are global variables, write down the values displayed when $f$ is called, in the order that the appear on screen.
(ii) Answer question (i) assuming that x and y are dynamically scoped local variables.

## QUESTION 2

(a) Distinguish between: Axiomatic and denotational semantics.
(b) Briefly explain the main difference between
(i) Compiler and Interpreter
(ii) Statement and expression
(c) Write a Haskell script that can be used to evaluate the expression:

$$
\begin{equation*}
X=\left(\sqrt{b^{2}}-4 a c\right) / 2 a \tag{5}
\end{equation*}
$$

(d) What is the output of executing the Haskell code:

$$
\begin{equation*}
\operatorname{map}(+3)[1 . .5] \tag{3}
\end{equation*}
$$

## QUESTION 3

(a) What are the primary differences between static and dynamic binding.
(b) Discuss any two reasons for programming in a high-level language rather than low-level language.
(c) Consider a language with 4 operators : $\vee, \wedge,>$ and $<$, that take numerical operands. Their syntactic properties are as follows:

| Operator | Precedence | Arity | Fixity | Associativity |
| :--- | :--- | :--- | :--- | :--- |
| $\vee$ | 0 (high) | 1 | postfix | Left |
| $<$ | 1 | 2 | infix | Left |
| $\wedge$ | 2 | 2 | infix | Right |
| $>$ | 3 | 1 | Prefix | Right |

Fully parenthesize the following expressions:
i. $1<2 \wedge 3<4$
ii. $\gg 1 \vee \vee$
iii. $(>1<(>2)<(<3)) \vee<4$
iv. $>1<2 \wedge 3 \wedge 4 \vee \wedge(>5 \vee<6 \wedge 7)$

## QUESTION 4

(a) What are the primary differences between static and dynamic binding.
(b) With the aid of examples, briefly describe 5 kinds of user defined types.
(c) Define operator overloading
(d) Explain why operator overloading is impossible in untyped languages.
(e) With the aid of examples, define type safety
(f) With aid of examples in $\mathrm{C}++/ \mathrm{Java}$, define overloading polymorphism and parametric polymorphism.

## QUESTION 5

(a) With the aid of examples in Haskell, define the following terms:
i. Higher-Order function
ii. Tail-recursive function
(b) Define referential transparency and explain one of its benefits.
(c) Based on the following type signature, describe the Haskell function fun as completely as possible:
Fun :: Integer -> Char -> [(Integer, Char)]
(d) Rewrite the following Haskell function using pattern matching:

```
describe x =
```

    if \(x=0\) then "Zero"
    else "non-zero"
    (e) Prove that the following lambda-calculus function evaluates to 14 , showing all steps:
$\left(\lambda x \cdot\left(\left(\lambda y \cdot x^{*} y\right) 2\right)\right)((\lambda x \cdot x+((\lambda y \cdot y) 3)) 4)$

## OUESTION 6

Define the following functions in Haskell including the type signature of each function.
(a) A function that, given two lists of identical length consisting of floating-point numbers, returns a list whose $n$-th element is the productof the $n$-th elements of the given lists. For example, given $[5,2.2,-3.3]$ and $[-1.1,1,-1]$, then the result is $[-$

$$
\begin{equation*}
5.5,2.2,3.3] \tag{4}
\end{equation*}
$$

(b) A function that, given a string, returns the number of upper-case characters in the string.
(c) A tail-recursive version of the following function that counts the number of elements in a list (but do not use Haskell's built-in length):
count lst $=$
if lst $==[]$ then 0 else $1+$ count (tail list)

