

**UNIVERSITY OF ESWATINI  
SIT/RESIT EXAMINATION  
JANUARY 2019**

**FACULTY OF SCIENCE AND ENGINEERING**

**DEPARTMENT OF ELECTRICAL AND ELECTRONIC ENGINEERING**

**TITLE OF PAPER: Power System Analysis and Operation  
COURSE CODE : EE552  
TIME ALLOWED: Three Hours**

**INSTRUCTIONS:**

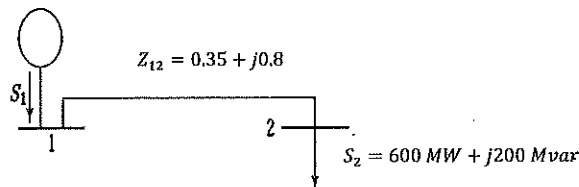
1. There are four questions in this paper.
2. Answer all four questions. Each question carries 25 marks.
3. Useful information is attached at the end of this paper.
4. If you think not enough data has been given in any question you may assume any reasonable values.

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HAS BEEN GIVEN BY THE INVIGILATOR**

**THIS PAPER CONTAINS FIVE (5) PAGES INCLUDING THIS PAGE**

**Question 1 (25 Marks)**

- (a) Discuss the need for power flow analysis? [3]
- (b) For the system show in Fig. Q.1 , state the following
  - (i) Number of load flow equations. [2]
  - (ii) Total number of variables. [2]
  - (iii) Based on your answers in (i) and (ii) above, Discuss how to solve the load flow problem. [3]
- (c) In the power system network shown in Fig. Q.1

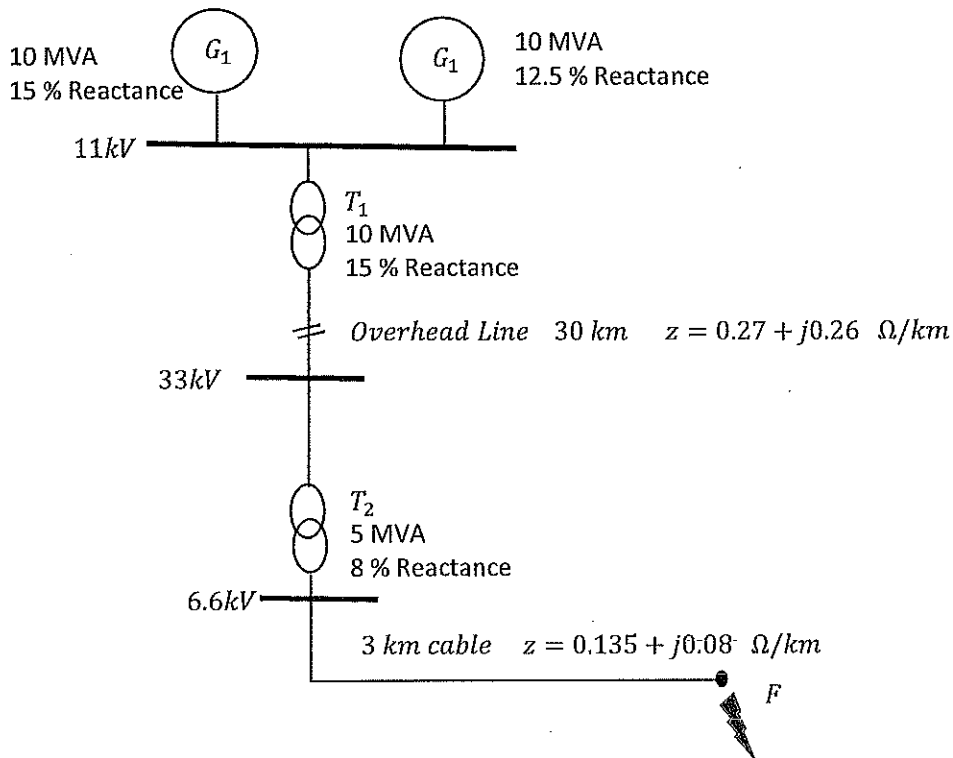


**Fig. Q.1**

- (i) Using Gauss-Seidel method, determine  $V_2$  after two iterations. [5]
- (ii) If after several iterations voltage at bus 2 converges to  $V_2 = 0.95 - j0.10$  determine  $S_1$  and the real and reactive power loss in the line. [10]

**Question 2 (25 Marks)**

For the radial network shown in Fig. Q.2 below, a three-phase fault occurs at F. Determine the fault current and the line voltage at 11 kV bus under fault conditions [25]



### Question 3 (25 Marks)

A power plant having two units with the following cost characteristics:

$$C_1 = 0.6P_1^2 + 200P_1 + 2000 \quad E/\text{hour}$$

$$C_2 = 1.2P_2^2 + 150P_2 + 2500 \quad E/\text{hour}$$

Where  $P_1$  and  $P_2$  are the generating powers in MW. The daily load cycle is as follows:

0600hrs - 1800hrs                      150 MW

1800hrs - 0600hrs                      50 MW

The cost of taking each unit offline and returning it to service after 12 hrs is E 5000.00.

Maximum generation of each plant is 100 MW.

Consider a 24 hr period from 0600 hrs one morning to 0600hrs the next morning.

- (a) Would it be economical to keep both units in service for this 24 hour period or remove one unit from service for 12 hour period from 6:00 P.M. one evening to 6:00 A.M. the next morning? [11]
- (b) Compute the economic schedule for the peak load and off peak load conditions. [5]
- (c) Calculate the optimum operating cost per day. [3]
- (d) If operating one unit during off peak load is decided, up to what cost of taking one unit off and returning to service after 12 hours, this decision is acceptable? [4]
- (e) If the cost of taking one unit off and returning to service after 12 hours exceeds the value calculated in (d), what must be done during off peak period? [2]

### Question 4 (25 Marks)

(a) Define the following Unit Commitment constraints (UC)

- (i) Spinning Reserves. [3].
- (ii) Transmission line limitation: [2]
- (iii) Minimum down time. [2]

(b) The equal area criterion suggests that the stability of the system is enhanced if the area  $A_1$  is reduced or if the potential area  $A_2$  is increased. This can be achieved in several ways, Discuss. [10]

(c) Determine the critical clearing time for the system whose power angle curve is shown in Fig. Q.4, Given that the a 60 Hz generator having an inertia constant  $H=10$  MJ/MVA [8]

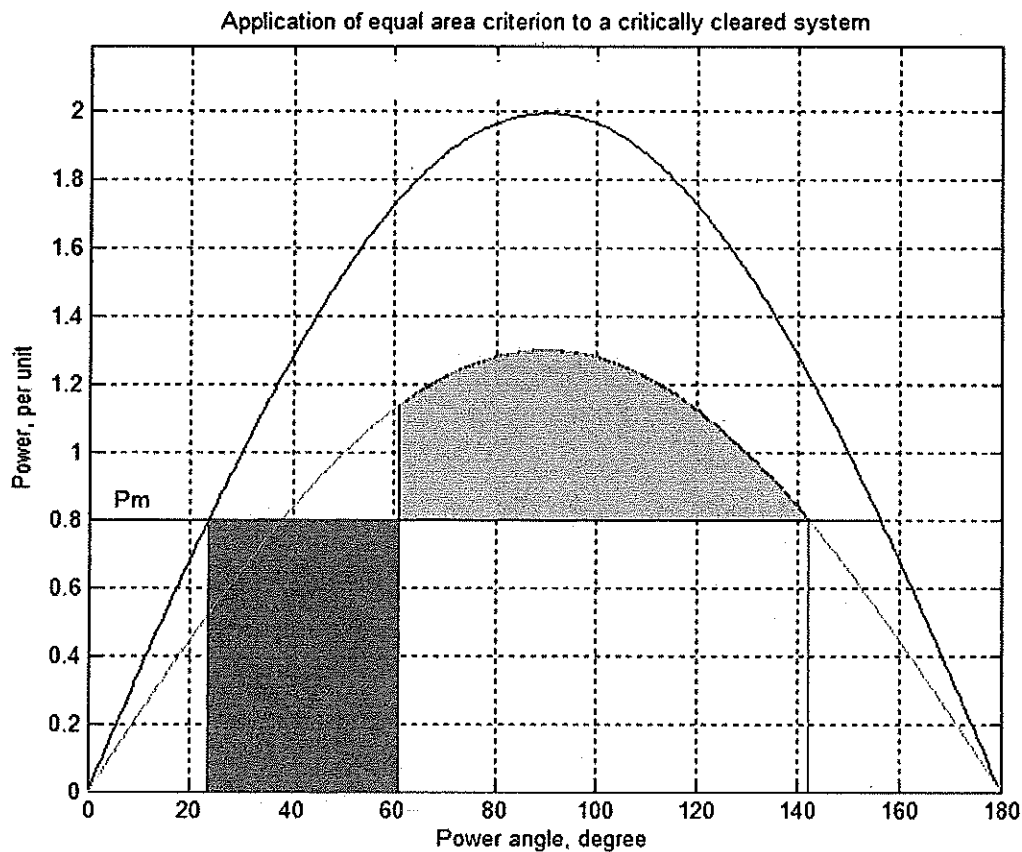


Fig. Q.4

## Useful Information

$$\bar{V}_i = \frac{1}{\bar{Y}_{ii}} \left[ \frac{P_i - jQ_i}{\bar{V}_i^*} - \sum_{\substack{j=1 \\ j \neq i}}^n \bar{Y}_{ij} \bar{V}_j \right]$$

$$\bar{S}_i = P_i + jQ_i = \bar{V}_i \bar{I}_i^*$$

$$P_i = \sum_{j=1}^n |V_i| |V_j| |Y_{ij}| \cos(\theta_{ij} - \delta_i + \delta_j)$$

$$Q_i = - \sum_{j=1}^n |V_i| |V_j| |Y_{ij}| \sin(\theta_{ij} - \delta_i + \delta_j)$$

$$\lambda = a_T P_T + b_T$$

$$a_T = \left( \sum_{i=1}^n \frac{1}{a_i} \right)^{-1} \quad b_T = a_T \left( \sum_{i=1}^n \frac{b_i}{a_i} \right)$$

$$\frac{d\delta}{dt} = \sqrt{\frac{2\pi f_0}{H} \int_{\delta_0}^{\delta} (P_m - P_e) d\delta}$$